

# PASHE: Privacy Aware Scheduling in a Heterogeneous Fog Environment

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**Abstract**—Fog computing extends the functionality of the traditional cloud data center (*cdc*) using micro data centers (*mdcs*) located at the edge of the network. These *mdcs* provide both computation and storage to applications. Their proximity to users makes them a viable option for executing jobs with tight deadlines and latency constraints. Moreover, it may be the case that these *mdcs* have diverse execution capacities, i.e. they have heterogeneous architectures. The implication for this is that tasks may have variable execution costs on different *mdcs*. We propose PASHE (Privacy Aware Scheduling in a Heterogeneous Fog Environment), an algorithm that schedules privacy constrained real-time jobs on heterogeneous *mdcs* and the *cdc*. Three categories of tasks have been considered: private, semi-private and public. Private tasks with tight deadlines are executed on the local *mdc* of users. Semi-private tasks with tight deadlines are executed on “preferred” remote *mdcs*. Public tasks with loose deadlines are sent to the *cdc* for execution. We also take account of user mobility across different *mdcs*. If the mobility pattern of users is predictable, PASHE reserves computation resources on remote *mdcs* for job execution. Simulation results show that PASHE offers superior performance versus other scheduling algorithms in a fog computing environment, taking account of *mdc* heterogeneity, user mobility and application security.

**Keywords**-Fog Computing; Cloud Computing; Cloud data center; Micro data center;

## I. INTRODUCTION

According to various studies, the billions of devices connected to the Internet [21] generate huge amounts of data. Analyzing this “big” data is a major challenge faced by researchers today, requiring scalable solutions. Typically, this data is sent to a cloud data center (*cdc*) for analysis. However, there could be significant communication delay from user devices to the *cdc*, leading to tasks missing their real-time deadlines [4], [5]. An example of such a task could be changing the course of an autonomous vehicle upon sighting an obstacle on the road. If this task is sent to a *cdc* and not completed by its designated deadline, there could be possible loss of life. Another issue is that users may not be comfortable in sending their personal and sensitive data to the *cdc* for execution.

Fog computing addresses these issues by proposing an architecture consisting of a number of micro data centers (*mdcs*), located at the network edge, in proximity to users [10], [13]. User devices can communicate directly with

the *mdcs*, which provide limited computation and storage. Moreover, the *mdcs* are connected to the *cdc*. A key insight here is that the tasks with tight deadlines and security constraints could be executed on the *mdcs*, whereas tasks that have loose deadlines and no security constraints could be sent to the *cdc* for execution.

In practice, *mdcs* may have variable execution capacities, i.e., they may be “heterogeneous”. For example, the *mdc* in the home network of a user may have lower capacity than the *mdc* in a work network. Likewise, while traveling from home to work, the user may interact with several *mdcs*, each with a different execution capacity. This “heterogeneity” in execution capacities adds an extra layer of complexity to the scheduling of tasks on the fog network.

In this paper, we present PASHE (Privacy Aware Scheduling in a Heterogeneous Fog Environment), a security-aware real-time scheduling algorithm for heterogeneous fog networks. This algorithm accounts for *mdc* heterogeneity, security constraints and performance constraints of applications. Specifically, private tasks can only be executed on the local *mdc* of users. Semi-private tasks may be executed on trusted remote *mdcs*, and public tasks on the *cdc*. Subject to meeting the security constraints, tasks with tight deadlines are executed on the local or trusted remote *mdcs*. On the other hand, tasks with loose deadlines are sent to the *cdc* for execution. The idea is to use the *mdcs* for executing the security/privacy and deadline constrained tasks and to use the *cdc* for all other tasks.

A real-life application where this algorithm would be useful is “Traffic control and management in a smart city” – a scenario outlined by the Open Fog Consortium. Various vendors (e.g. Google, Uber) [24] have been testing self-driving cars with a number of on-board sensors, a global positioning system, LIDAR cameras etc. These vehicles will generate multiple terabytes of data every day, making it challenging to send all of this data to a cloud data center. It is therefore essential to use the edge capability for partial processing of this data. These cars will be communicating with roadside units to provide navigation support. A self driving car will use various sensors to enable decision support, e.g. stop or slow down or turn. Since these tasks are real-time in nature, and involve “local decision making”, sending them to the cloud for processing may not be feasible,

due to the significant network latencies involved. It would be important to process these tasks directly on roadside units (or in-vehicle) – i.e. in fog devices (*mdds*). Since the *mdds* are in proximity to the source of data, it is much more likely that the task deadlines will be met by executing them at the edge, without sending tasks to the cloud, or *cdc*. Moreover, this also reduces the overall data traffic in the network, and to the *cdc*. The vehicle must be capable of executing tasks autonomously when it cannot connect to the cloud, and some tasks could be sensitive in nature, for example, the actual path that the user is taking, or infotainment services being used (requiring use of an *mdd*). Other kinds of tasks that may be used for data analytics may be executed on the *cdc*, which would be more than capable of carrying out these high computation tasks. This paper is organized as follows. Section II discusses related work. The model, notation and problem formulation is described in section III. Section IV discusses the proposed algorithm PASHE. The simulation results are described in section V. Section VI concludes the paper.

## II. RELATED WORK

In many cloud systems today, performance is heavily dependent on network connectivity and availability. This is especially true for real-time latency-sensitive applications [5]. Another issue is that data “belongs” to the cloud service provider, which may not be acceptable in privacy aware applications, e.g. maintaining patient records. Edge/fog computing is significant because it can make an impact in such scenarios, as it can provide much lower latencies by locating devices in proximity to users [13]. Moreover, these edge devices would be in control/ownership of users, resulting in local processing of private data. An extensive summary of edge computing has been described by Shu et al. in [22]. They explain several case studies that could benefit from edge technology, such as smart homes, smart cities, video analytics. They also describe mechanisms for handling security/ privacy, reliability, and programmability. Additional reviews of Edge computing can be found in [1], [2], [21].

In real-time systems, the defining property is that the output needs to be received within the specified deadline [4], [5]. There has been some work on resource allocation and scheduling in fog networks to achieve these objectives [7], [11]. In our previous work [10], we proposed RT-SANE, a security-aware, real-time scheduling algorithm for homogeneous fog networks. In this work, we consider *mdd* heterogeneity.

## III. MODELLING AND PROBLEM FORMULATION

In this section, we describe our model and notation. The edge–cloud architecture is shown in figure 1. At the lowest level are users with their devices. The top layer comprises of a cloud data center (*cdc*). The edge/fog layer sits between these, consisting of fog nodes/ cloudlets/ micro data centers (*mdds*). Table I summarizes the notations. The system architecture consists of a single cloud data center (*cdc*)  $C$ , assumed to have sufficient capacity to execute all jobs. Users can purchase credits for executing their jobs on the cloud, e.g. from Amazon Web Services. In

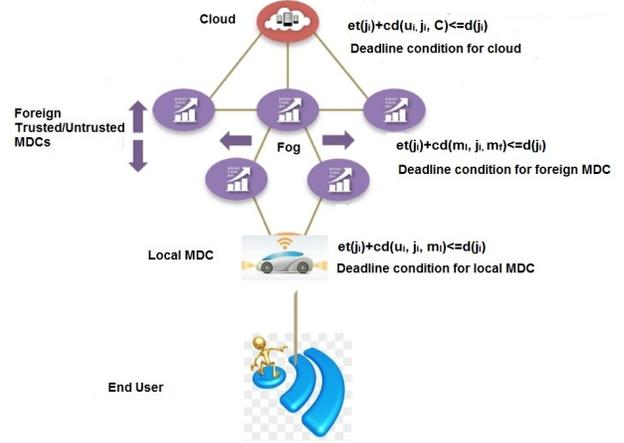


Figure 1: Edge Architecture

addition, connected to  $C$  is a set of micro data centers (*mdds*),  $M = \{m_1, m_2, m_3, \dots, m_n\}$ . A set of jobs  $J = \{j_1, j_2, j_3, \dots, j_k\}$  need to be executed on the *mdds* or the *cdc*. Each job  $j_i \in J$  is dedicated to a user  $u_i \in U$ , where  $U = \{u_1, u_2, u_3, \dots, u_z\}$  is the set of users. Each job  $j_i \in J$  is represented by a 3-tuple  $\langle et(j_i), d(j_i), t(j_i) \rangle$ . Here,  $et(j_i)$  represents the execution cost of job  $j_i$ ,  $d(j_i)$  is the job’s deadline, and  $t(j_i)$  is the job’s security tag, representing the job’s security constraints. We elaborate on these security tags later. We use the term job and task interchangeably. Each  $m_x \in M$  can either be local ( $m_l$ ) or remote/foreign ( $m_f$ ). The implication for this is that each job  $j_i$ , based on its requirement, may either be executed on its local  $m_l$ , or on one of the remote *mdds*,  $m_f$ , or on the *cdc*. Each  $m_x \in M$  has a processing capability denoted by  $cp(m_x)$ . The *mdds* are heterogeneous in that they may have variable computing capacities. This means that a particular job  $j_i \in J$  can take different times to execute on different *mdds*. For the purpose of communication, a link is established between the *cdc* and various *mdds*. A link between a *cdc* and an  $m_x$  has a bandwidth denoted as  $bw(C, m_x)$ . For the purpose of peer-to-peer communication, there also exist links between various *mdds*. For example, for a particular user  $u_i$ , we may have a link between its local  $m_l$  and a foreign  $m_f$ , having a bandwidth denoted as  $bw(m_l, m_f)$ .

We consider jobs with three types of security tags: private ( $t_p$ ), semi private ( $t_{sp}$ ) and public ( $t_{pu}$ ). Private jobs can execute only on the local  $m_l$ . Jobs with semi private and public tags are first sent to the  $m_l$ . If sufficient resources are not available on  $m_l$ , then they are migrated to a “preferred” foreign  $m_f$ . If semi private jobs do not get enough resources on a preferred foreign *mdd*, then they need to wait and can be resubmitted later, while public jobs can be moved to the *cdc* for execution, if they fail to get the required resources on a preferred foreign *mdd*.

The size of data transmitted by user  $u_i$  to  $m_l = sc(u_i, j_i, m_l)$ . The communication delay between user  $u_i$  and  $m_l$  is given by  $cd(u_i, j_i, m_l)$ . This delay can be repre-

Table I: Notations

$C$	Cloud Data Center
$M$	Set of micro-data centers
$m_l, m_f$	Local & foreign micro data centers
$R(m_x)$	Reliability of $m_x$
$UR(m_x)$	Unreliability of $m_x$
$l(i, j)$	Link between $m_i$ & $m_j$
$R_l(i, j)$	Reliability of link between $m_i$ and $m_j$
$UR_l(i, j)$	Unreliability of link between $m_i$ and $m_j$
$T_l(i, j)$	Trust value of link between $m_i$ and $m_j$
$J$	Set of all jobs/applications
$U$	Set of all users
$u_i$	Particular user $u_i \in U$
$j_i$	Specific job/task/application $\in J$
$T_j$	Set of tags assigned to jobs
$t_p, t_{sp}, t_{pu}$	Tags for private, semi-private, public jobs
$cp(m_x)$	capacity of $m_x$
$cp(C)$	capacity of $C$
$bw(u_i, m_l)$	bandwidth of link between user $u_i$ and $m_l$
$bw(m_l, m_f)$	bandwidth of link between $m_l$ and $m_f$
$ted(j_i, m_x)$	Total execution cost of job $j_i$ on $m_x$
$et(j_i)$	Execution cost of an interaction of $j_i$
$st(j_i)$	Start time of job $j_i$
$ct(j_i)$	Completion time of job $j_i$
$d(j_i)$	Deadline for task $j_i$
$cd(m_l, j_i, m_f)$	Communication delay for $j_i$ between $m_l$ and $m_f$
$cd(u_i, j_i, m_l)$	Communication delay for $j_i$ between $u_i$ and $m_l$
$cd(u_i, j_i, C)$	Communication latency for $j_i$ between $u_i$ and $C$
$k'$	Number of jobs meeting their deadlines successfully
$k$	Total number of jobs submitted

sented by the following equation:

$$cd(u_i, j_i, m_l) = t + sc(u_i, j_i, m_l) + \frac{s(j_i)}{bw(u_i, m_l)} \quad (1)$$

Here,  $bw(u_i, m_l)$  is the bandwidth of the communication link between the user  $u_i$  and their  $m_l$ . The size of the data transmitted by  $u_i$  is given by  $s(j_i)$ . The time to initialize the communication link is denoted by  $t$ . In addition, the cost of transferring the state of the job  $j_i$  is given by  $sc(u_i, j_i, m_l)$ . A similar relationship would hold for a foreign  $m_{dc}$ s. For the sake of brevity, we omit these equations.

Each real-time job  $j_i \in J$ , needs to finish before its deadline.

$$st(j_i) + et(j_i) + cd(u_i, j_i, m_l) \leq d(j_i) \quad (2)$$

Here,  $st(j_i)$  denotes the start time for job  $j_i$ . Jobs executing on their  $m_f$  must finish before their deadline as well.

$$et(j_i) + cd(m_l, j_i, m_f) \leq d(j_i) \quad (3)$$

The delay between  $m_l$  and  $m_f$  is modeled as:

$$cd(m_l, j_i, m_f) = t + sc(m_l, j_i, m_f) + \frac{s(j_i)}{bw(m_l, m_f)} \quad (4)$$

The delay between  $u_i$  and  $cdc$  is modeled as:

$$cd(u_i, j_i, C) = t + sc(u_i, j_i, C) + \frac{s(j_i)}{bw(u_i, C)} \quad (5)$$

The jobs executing on the  $cdc$  must also finish before their deadline.

$$et(j_i) + cd(u_i, j_i, C) \leq d(j_i) \quad (6)$$

An  $m_{dc}$  must have sufficient spare capacity available to execute a job – referred to as the ‘‘Spare Capacity Condition’’, represented as:

$$et(j_i) \leq cp(m_x) - \sum et(j_x, m_x) \quad (7)$$

Here,  $cp(m_x)$  stands for the execution capacity of  $m_x$ ,  $j_x$  represents the set of all jobs currently assigned to  $m_x$ , and  $\sum et(j_x, m_x)$  represents the sum of execution costs for all jobs already allocated to  $m_x$ . This equation needs to hold  $\forall j_i \in J, \forall m_x \in M$ . Here,  $m_x$  can be either  $m_l$ , or  $m_f$ .

In the proposed algorithm, if  $m_l$  does not have spare capacity available, or if the user is mobile, jobs may be executed on any of the heterogeneous foreign  $m_{dc}$ s. Moreover,  $m_f$  may or may not be reliable. In order to come up with a set of reliable  $m_{dc}$ s, we propose the following approach.

In case the local  $m_{dc}$  of job  $j_i$  does not have sufficient spare capacity available (eq. 7), then, the job  $j_i$  may be executed on a foreign  $m_{dc}$ . For this, the set of available foreign  $m_{dc}$ s are arranged in decreasing order of their bandwidth. One of the  $m_{dc}$ s from this set is selected for execution, as follows.

Each  $m_x$  has a reliability  $R(m_x)$  and an unreliability  $UR(m_x)$  value associated with it, which ranges between 0 and 1, i.e.  $0 \leq R(m_x) \leq 1$ . Intuitively,  $UR(m_x) = 1 - R(m_x)$ , however, these may also be defined as a fuzzy membership function. The reliability of a link between  $m_l$  and  $m_f$  is denoted by  $T_l(m_l, m_f)$ . Higher the value of  $T_l$ , more trusted is the foreign  $m_{dc}$ . In this work, we assume a threshold value of 0.5, i.e for a particular  $m_l$ , if  $T_l(m_l, m_f) \geq 0.5$ , then  $m_f$  is trusted with respect to that particular  $m_l$ , otherwise it is untrusted. The Reliability and Unreliability values of a link  $l(m_l, m_f)$  between a local  $m_l$  and one of its foreign  $m_f$  can be calculated by using the reliability and unreliability values associated with  $m_l$  and  $m_f$  as shown in eq. (8) and eq. (9):

$$R_l = \frac{R_{m_l} + R_{m_f}}{2} - \frac{R_{m_l} + UR_{m_f}}{2} + \frac{R_{m_f} + UR_{m_l}}{2} \quad (8)$$

$$UR_l = \frac{UR_{m_l} + UR_{m_f}}{2} - \frac{R_{m_l} + UR_{m_f}}{2} + \frac{R_{m_f} + UR_{m_l}}{2} \quad (9)$$

Finally, the trust value of the link between  $m_l$  and  $m_f$ ,  $T_l(m_l, m_f)$  is calculated as given below by using link reliability and unreliability values obtained in eq. (8) and eq. (9):

$$T_l(m_l, m_f) = \frac{R_l}{R_l + UR_l} \quad (10)$$

If, for  $m_l$ ,  $T_l(m_l, m_f) \geq 0.5$ , then  $m_f$  is trusted for  $m_l$ .

$$T_l(m_l, m_f) \geq 0.5 \quad (11)$$

The main performance metric that we consider in this work is Success Ratio ( $SR$ ). This is the ratio of the number of jobs that meet their deadlines ( $k'$ ) and the total number of jobs considered for execution ( $k$ ), in other words,  $SR = \frac{k'}{k}$ .

Table II: Mapping of Jobs to *mcds* or *cdc*

	$m_l$	$m_f(r_j)$	$m_f(ur_j)$	<i>cdc</i>
$t_p$	Y	N	N	N
$t_{sp}$	Y	Y	N	N
$t_{pu}$	Y	Y	Y	Y

**The problem we solve in this paper may be stated as follows:** Given a set of jobs  $J$ , a set of heterogeneous *mcds*  $M$  with different execution capacities, and trust levels, and a *cdc*,  $C$ , maximize  $SR = \frac{k'}{k}$ , while ensuring that jobs get executed on their preferred *mcds* :  $m_f(t_1), m_f(t_2), \dots etc.$ , according to table II.

#### IV. PASHE ALGORITHM

In the proposed *PASHE* algorithm, all *mcds* are heterogeneous, meaning that they may have different processing capabilities, denoted as  $cp(m_x)$ . The implication is that each job may take a different amount of time to execute on a different *mdc*. The available *mcds* are divided into two sets:  $M_F$ , the set of all foreign *mcds*, and  $M_L$ , the set of all local *mcds*. From the set of foreign *mcds*,  $M_F$ , we obtain the set of trusted foreign *mcds*, given by  $M_F(T)$ . All the local *mcds* in the set  $M_L$  are assumed to be reliable. A set of trusted foreign *mcds*,  $M_F(T) = \{m_f(t_1), m_f(t_2), m_f(t_3), \dots, m_f(t_d)\}$ . This set consists of the *mcds* that are trusted, i.e. the *mcds* for which the value of  $T_l \geq 0.5$ . For a particular job  $j_i$  associated with a particular user  $u_i$ , the set of trusted foreign *mcds*,  $M_F(T)$  is sorted in decreasing order of bandwidth from the user's  $m_l$ , such that  $bw(m_l, m_f(t_1)) \geq \dots bw(m_l, m_f(t_d))$ . This implies that  $cd(m_l, j_i, m_f(t_1)) \dots \leq cd(m_l, j_i, m_f(t_d))$ . This sorted list of trusted *mcds*, then becomes  $M_F(T)_{sorted}$ . The first member of this list becomes the most preferred foreign *mdc* for job execution, the second member becomes the next most preferred foreign *mdc*, and so on.

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#### Algorithm 1 PASHE

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- 1: Calculate  $ct, cd, \forall j_i \in J$ .
  - 2: Populate Queue  $Q$  with tag  $t_p, t_{sp}$  and  $t_{pu}$
  - 3: Arrange  $Q$  in increasing order of deadlines
  - 4:  $\forall j_i$  with tag  $t_p$ :
  - 5: **if** ( $j_i$  satisfies  $st(j_i) + et(j_i) + cd(u_i, j_i, m_l) \leq d(j_i)$  &&  $et(j_i) \leq cp(m_x) - \sum et(j_x, m_x)$  on  $m_l$ ) **then**
  - 6:     *schedule*  $j_i$  on local *mdc*  $m_l$ .
  - 7: **else**
  - 8:     *re-submit job later*
  - 9:  $\forall j_i$  with tags  $t_{sp}$  or  $t_{pu}$ :
  - 10: **if** ( $j_i$  satisfies  $st(j_i) + et(j_i) + cd(u_i, j_i, m_l) \leq d(j_i)$  &&  $et(j_i) \leq cp(m_x) - \sum et(j_x, m_x)$  on  $m_l$ ) **then**
  - 11:     *schedule*  $j_i$  on local *mdc*  $m_l$ .
  - 12: **else**
  - 13:     *Preferred – MDC()*.
  - 14: Calculate *SR* ratio ( $\frac{k'}{k}$ ).
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#### Algorithm 2 Preferred-MDC()

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- 1: Generate list of trusted foreign *mcds*,  $M_F(T)_{sorted}$ .
  - 2:  $\forall j_i$  with tag  $t_{sp}$ :
  - 3: *spFinished* = 0;
  - 4: **for** (i=1 to length(List)) **do**.
  - 5:     **if**  $m_f(t_j)$  &  $m_l$  satisfy  $T_l(m_l, m_f) \geq 0.5$  &&  $m_f(t_j)$  satisfies  $et(j_i) + cd(m_l, j_i, m_f) \leq d(j_i)$  &&  $et(j_i) \leq cp(m_x) - \sum et(j_x, m_x)$  **then**
  - 6:         *schedule*  $j_i$  on  $m_f(t_j)$
  - 7:         *spFinished* = 1
  - 8:         *break*;
  - 9:     **else**
  - 10:         *i*++;
  - 11:     **if** (*spFinished* == 0) **then**:
  - 12:         *re-submit job later*.
  - 13:  $\forall j_i$  with tag  $t_{pu}$ :
  - 14: *puFinished* = 0;
  - 15: **for** (i=1 to end of List L) **do**.
  - 16:     **if**  $m_f(t_j)$  satisfies  $et(j_i) + cd(m_l, j_i, m_f) \leq d(j_i)$  and  $et(j_i) \leq cp(m_x) - \sum et(j_x, m_x)$  **then**
  - 17:         *schedule*  $j_i$  on  $m_f(t_j)$
  - 18:         *puFinished* = 1;
  - 19:         *break*;
  - 20:     **else**
  - 21:         *i*++;
  - 22:     **if** (*puFinished* == 0) **then**:
  - 23:         **if**  $j_i$  satisfies  $et(j_i) + cd(u_i, j_i, C) \leq d(j_i)$  **then**
  - 24:             *schedule*  $j_i$  on *cdc*.
  - 25:     **else**
  - 26:         *return*;
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In *PASHE*, the completion time (*ct*) and communication delay (*cd*) is calculated for each job  $j_i \in J$ . Next, all jobs with security tags  $t_p, t_{sp}$ , and  $t_{pu}$ , are sorted in an increasing order of their deadlines [4], and added to a queue  $Q$ . All private jobs are scheduled on their local  $m_l$ . If the local *mdc* does not have spare capacity available, the job needs to be re-submitted later. The proposed algorithm tries to execute semi private and public jobs on the local  $m_l$ . However, if the  $m_l$  does not have a sufficient spare execution capacity available, then the jobs are sent to their preferred foreign  $m_f(t_1)$ . The preferred foreign  $m_f(t_1)$  is selected from the set of trusted foreign *mcds*,  $M_F(T)$  for that particular local  $m_l$  on the basis of their link reliability value  $T_l$ . A semi private or public job is sent to the preferred  $m_f(t_1)$ , which has the highest link bandwidth with  $m_l$ . If the preferred trusted  $m_f(t_1)$  is not available, semi private jobs are sent to the next preferred, trusted foreign  $m_f(t_2)$ , and so on. The public jobs are sent to the cloud data center *cdc*.

#### V. RESULTS AND DISCUSSION

##### A. Simulation setup and Parameters

We consider a simulation with 12 users, each user  $u_i$  has its own dedicated job  $j_i$ . The execution costs of jobs range between (500-5500) MIPS. The number of *mcds* that have been considered here is 3, each with a different computing capacity, which range between (400-2200) MIPS. It is assumed that a single *cdc* with a computing capacity of 44800 MIPS is present.

All simulations have been run on a modified iFogSim simulator which is capable of modeling the characteristics of heterogeneous *mdcs* and a *cdc* [12]. The iFogSim simulator was found to be most suitable, as it is specially meant for resource management in the Fog environment. Parameters such as latency, network congestion, energy consumption and cost have been considered. All iFogSim simulations have been run on a machine with an Intel Xeon 2.40 GHz Processor and 4GB of RAM. In iFogSim, a class with the name *HeterogeneousMdc*s has been created. This class contains 12 different independent applications, each having one module. The deadline of each application along with its *MIPS* capacity requirement has been declared in this class. The capacity of the *cdc* and the communication delays have also been specified. By varying the capacity of the *mdcs* for different iterations of the simulation in the *HeterogeneousMdc*s class, a heterogeneous execution environment has been created. The *UpdateAllocatedMips* function in the *FogDevice* class assigns a *MIPS* load to the various modules. This has been done in order to implement *FCFS* along with the existing time shared scheduling method in iFogSim. Next, a job priority has been created, which contain jobs in a non decreasing order of their deadlines or in *FCFS* order. The implementation keeps a check on whether an application completes its execution or not. If so, then the application is removed from the queue and the remaining *MIPS* of the *cdc* is allocated to some other job. In order to evaluate the performance of all given scheduling algorithms, the following metrics have been used in the simulation:

- 1) Success Ratio (*SR*): This is defined as  $(\frac{k'}{k}) * 100$ , i.e. the percentage of the number of jobs meeting their deadlines to the total number of jobs submitted for scheduling.
- 2) Heterogeneity Factor (*HF*): defined as  $\frac{c_p(m_{fastest}) - c_p(m_{slowest})}{average(c_p(m_z))}$ . Here,  $c_p(m_{fastest})$  is the execution speed of the fastest *cdc*,  $c_p(m_{slowest})$  is the execution speed of the slowest *cdc*, and  $average(c_p(m_z))$  is the average of the execution speeds of all  $m_z \in M$ . In the simulations, the *HF* value has been increased from 0 to 1.6, each time by a value of 0.2. This varies the level of heterogeneity of the execution capacities of the *mdcs*.
- 3) Deadline Factor (*DF*): This metric specifies the range over which the job deadlines are varied. The interpretation is that a low value for *DF* implies that the overall deadlines in the system are “tight”. Likewise, high *DF* values imply “loose” deadlines. A lower bound for the job deadline  $d(j_i)_{LB}$  was calculated, equal to  $ect(j_i)$ . Here,  $ect(j_i)$  is the earliest time that job  $j_i$  can start. Next, the average deadline value of the system  $d_{avg}$  was calculated. This value was then multiplied by a factor of 1 to 4 to get a range of deadline factor values.

1) *Effect of mdc heterogeneity on Performance:* We investigate the effect of *cdc* heterogeneity (*HF*) on Success Ratio (*SR*). In *cdc-only*, all jobs are sent to the *cdc* for execution, leading to considerable communication delay. On the other hand, in *PASHE*, jobs are first sent to the *mdcs*. For the simulation, we consider delay between an *cdc* and a user device to be 2ms, and between the *cdc* and a user

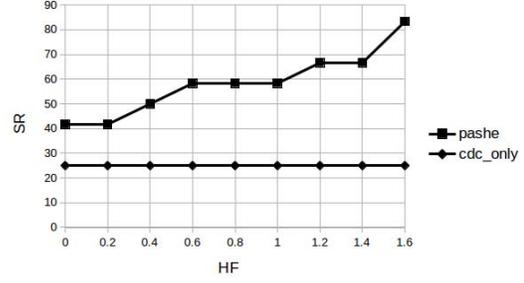


Figure 2: Effect of *HF* on *SR*

device to be 100ms. In *cdc-only*, public jobs are sent to the *cdc*, while private and semi private jobs do not get any chance for execution. Therefore, *mdcs* do not have any role to play here. Due to the large communication delay between the user and the *cdc*, only public jobs with loose deadlines can complete their execution. Hence, the performance results in a straight line (with 25% jobs meeting their deadlines). *PASHE* results in an increased *SR* because all private jobs are executed on the local  $m_i$ , semi private jobs are sent to either the local  $m_i$ , or to a reliable foreign *cdc*. In the next simulation, the performance of *PASHE* is compared with *FCFS* in a heterogeneous Fog Environment. The number of *mdcs* has been fixed to 3, with computing capabilities of *mdcs* ranging from (350–2700) *MIPS*. The results for this simulation are shown in Figure 3.

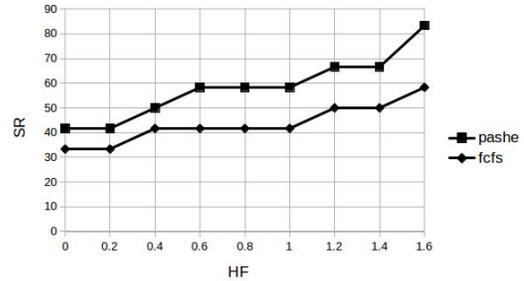


Figure 3: Effect of *HF* on *SR*

The *HF* has now increased from 0 to 1.6, and its effect on *SR* can be observed – increasing *HF* also leads to an increase in *SR* for both *FCFS* and *PASHE*. In both algorithms jobs are sent to *mdcs* as well as the *cdc* for execution. It is seen that by varying the computing capability of *mdcs*, possibly by increasing it instead of fixing it to some constant value, a larger number of jobs are able to meet their deadlines. However, *PASHE* demonstrates a better performance than *FCFS*, as it schedules jobs with earlier deadline first unlike *FCFS*. If jobs arrive at the same time, then they are scheduled according to their job *ids*.

2) *Effect of Deadline Factor on Performance:* In this simulation we compared the performance of *FCFS* and *PASHE* by varying the Deadline Factor (*DF*). The number of jobs considered is 12. Four *mdcs* with different computing capacities  $cp(m_x)$  were considered. The communication

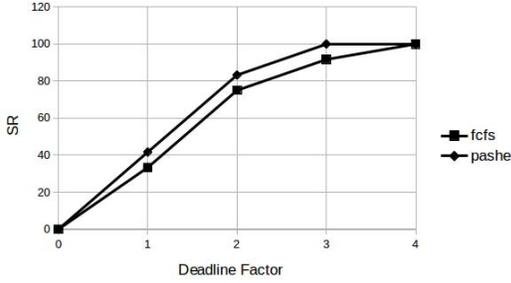


Figure 4: Effect of  $DF$  on  $SR$

delay between a user device and an  $mdc$  was kept at 2ms, and between the  $cdc$  and user device as 100ms. The result is shown in Figure 4. We observe that performance ( $SR$  value) increases when  $DF$  is increased. This is because increasing the  $DF$  reduces the constraint on completion time, and a larger number of jobs are able to meet their deadlines. We can also observe that  $PASHE$  results in a higher  $SR$  as compared to  $FCFS$ , as it employs a better heuristic: Earliest Deadline First ( $EDF$ ) which schedules applications according to their deadlines, ensuring that more jobs are able to finish execution before their deadlines. In  $FCFS$ , jobs are scheduled in the order in which they arrive, irrespective of their deadlines. Interestingly, after a certain threshold  $DF$  value, both the algorithms result in an  $SR$  as high as 100%. At this instant, the deadlines become so loose that all the jobs finish well before time, irrespective of the scheduling algorithm used.

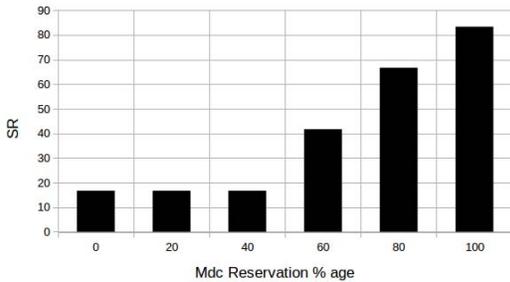


Figure 5: Effect of  $ResourceReservation$  on  $SR$

3) *Effect of Resource Reservation on Performance:* In this simulation, we studied the effect of resource reservation on system performance. The authors in [23] observe that in their study, it is possible to predict the mobility patterns of users with as much as 93% accuracy. Moreover, they also observe the accuracy of this prediction is largely independent of the distance that the users cover. For example, while traveling from home to work, users may take pretty much the same path everyday. Our proposed idea is that if the mobility pattern of a user is fixed, this can be used to reserve some portion of the computation capacity of the foreign  $mdcs$  in the users' path. The proposed algorithm  $PASHE$  with this reservation module added, becomes  $PASHE_R$ . In this simulation, we considered three  $mdcs$  with comput-

ing capacity values  $cp(m_x)$  of 780, 2090, and 350 MIPS respectively. The jobs were a mix of private jobs, semi-private jobs and public jobs, but the ratio of semi-private jobs was kept higher. Here, 50% of the jobs were semi-private while private and public jobs were 25% each. The MIPS requirements of jobs range from (350–5500). The public jobs are allowed to execute on foreign  $mdcs$  if the  $mdcs$  have sufficient spare capacity available. In this case, semi private jobs may miss their deadlines on their preferred  $mdcs$ . This is because public jobs are computationally expensive, and may consume all the computing capacities of foreign  $mdcs$ , and still fail to meet their deadline. Therefore, it makes sense to reserve some  $mdc$  capacity for semi-private jobs only. Figure 5 shows that reservation of 0%, 20%, and 40% of the  $mdc$  computing power gives a constant performance without much improvement. This can be explained as follows. For cases in which a smaller percentage of  $mdc$  computing power is reserved for semi-private jobs, resource hungry public jobs occupy the  $mdcs$  for the most part, and hence, deny the  $mdcs$  to the semi-private jobs. In fact, even the public jobs are unable to meet their deadlines. However, as the amount of resource reservation for semi-private jobs is increased, a larger number of them can finish their execution before their deadlines, leading to a higher  $SR$  value.

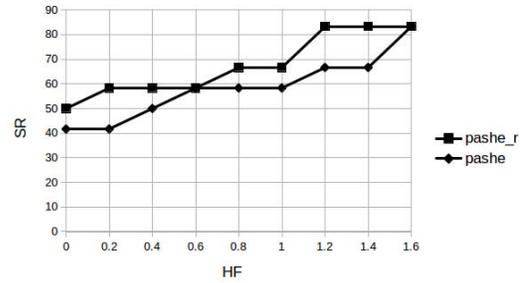


Figure 6: Effect of  $HF$  on  $SR$

The next simulation compares the performance of  $PASHE_R$  versus simple  $PASHE$  in a heterogeneous fog environment. The  $HF$  value has been varied from 0 to 1.6. The number of jobs considered is 12 and the number of  $mdcs$  considered is 3. The result for this simulation is shown in Figure 6. In this scenario, 35% of the computation capacity of the foreign  $mdcs$  has been reserved for semi-private jobs. This ensures that  $PASHE_R$  results in a larger number of semi-private jobs being able to meet their deadlines than would have been possible without reservation. This translates to a higher  $SR$ . Also note that this reservation causes more of the high computation public jobs to be sent to the  $cdc$ . In comparison, the  $SR$  values for  $PASHE$  are lower, due to the absence of reservation for semi-private jobs. This leads to public jobs blocking the  $mdcs$ , causing the semi-private jobs to miss their deadlines. Hence, the  $SR$  values are lower versus the values obtained by  $PASHE_R$ .

The next simulation compares the performance of  $PASHE_R$  and  $cdc-only$ . The simulation setup remains the same as the previous case. The results are shown in Figure 7. From the figure, we observe that  $PASHE_R$  offers a higher  $SR$  than  $cdc-only$ , partly due to employing

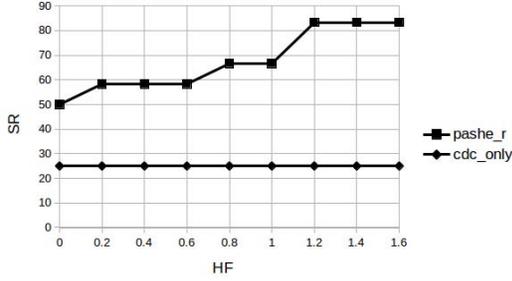


Figure 7: Effect of  $HF$  on  $SR$

the *mdcs* for job allocation, and partly due to the 35% reservation for semi private jobs. This results in a larger number of jobs completing their execution successfully. On the other hand, the *cdc-only* algorithm does not employ the edge for scheduling and all jobs are sent to the *cdc*, resulting in low  $SR$  values. Interestingly, we observe that increasing  $HF$  has no effect on  $SR$ , which is shown in terms of a flat line in Figure 7. This is because  $HF$  corresponds to the heterogeneity of the *mdcs*, which are not used to schedule jobs in *cdc-only*.

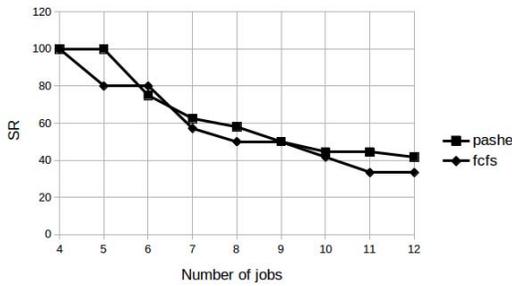


Figure 8: Effect of number of jobs on  $SR$

4) *Effect of Number of jobs on Performance*: The goal of this simulation is to analyze the effect of increasing the system load (i.e. the number of jobs). The *mdc* computing capacities have been taken as 500, 1500, 2200 MIPS respectively. Initially, we consider 4 jobs in the system. Three “small” jobs with capacity requirement of 240, 500 and 700 MIPS execute on 3 different *mdcs*, and the one “large” job with capacity requirement of 3600 MIPS executes on the *cdc*. The results for this simulation are shown in figure 8. We observe that *PASHE* performs well, in general, versus *FCFS*. As the number of jobs increases from 4 to 12 with computing requirements of 150, 110, 180, 4400, 3500, 200, 5500, and 257 MIPS respectively, the performance ( $SR$  value) degrades. However, *PASHE* still performs better than *FCFS*. This can be attributed to the fact that *PASHE* follows the *EDF* heuristic which schedules job according to their deadlines, while *FCFS* schedules jobs in the order that they arrive in the ready queue. Furthermore, from Figure 8, we observe that when the number of jobs is less, the *mdcs* are capable of executing all jobs successfully but when the number of jobs increases, then the *mdcs* fail to execute them

because of their limited resources.

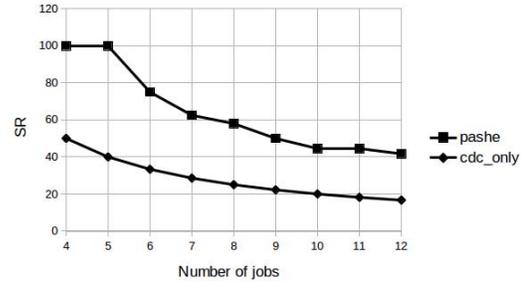


Figure 9: Effect of number of jobs on  $SR$

The next simulation in this section compares the performance of *PASHE* and *cdc-only*. The setup remains same as in the previous simulation. The results are depicted in Figure 9. Initially, when only four jobs are present, *PASHE* offers an  $SR$  value of 100%, as all the jobs meet their deadline, because the three *mdcs* provide sufficient execution resources. In *cdc-only*, all jobs are sent to the *cdc*, and not to the *mdcs*, so many of them fail to meet their deadlines. This is the case even when the number of jobs is less. This is due to the large communication delay between the user jobs and the *cdc*. When the job count is increased from 4 to 12, performance of both the algorithm degrades. This is because of the additional computation load placed. As the *mdcs* have limited computing capacity, this increased load leads to more deadline misses, and a reduction in the  $SR$  value. As we can observe in figure 9, *PASHE* gives superior performance compared to *cdc-only*, even when job count increases. This is due to the fact that *PASHE* employs the *mdcs* for scheduling jobs. Only when the capacity of the *mdcs* is exhausted, are the jobs sent to the *cdc*.

#### ACKNOWLEDGEMENT

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#### VI. CONCLUSION

In this work, we propose *PASHE*, a novel algorithm for resource scheduling in fog environments, supporting edge *mdcs* which are “heterogeneous” and able to take user mobility into account. The proposed approach is able to take job requirements (security and completion deadline) into account, to identify the most suitable location to execute the job, i.e. a local vs. remote *mdc* or a centralized *cdc*. The proposed algorithm also allows for reservation of bandwidth on remote *mdcs*. The approach has been validated through the widely used fog simulator, iFogSim, where an extension has been provided to model heterogeneous *mdcs*. The outcome of this work can be used to support capacity planning of *mdcs* at the network edge.

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